

\$P Point-Cloud Gesture Recognizer Pseudocode

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In the following pseudocode, POINT is a structure that exposes x , y , and $strokeId$ properties. $strokeId$ is the stroke index a point belongs to (1, 2, ...) and is filled by counting pen down/up events. POINTS is a list of points and TEMPLATES a list of POINTS with gesture class data.

Recognizer main function. Match $points$ against a set of $templates$ by employing the Nearest-Neighbor classification rule. Returns a normalized score in [0..1] with 1 denoting perfect match.

\$P-RECOGNIZER (POINTS $points$, TEMPLATES $templates$)

```

1:  $n \leftarrow 32$  // number of points
2: NORMALIZE( $points$ ,  $n$ )
3:  $score \leftarrow \infty$ 
4: for each  $template$  in  $templates$  do
5:   NORMALIZE( $template$ ,  $n$ ) // should be pre-processed
6:    $d \leftarrow$  GREEDY-CLOUD-MATCH( $points$ ,  $template$ ,  $n$ )
7:   if  $score > d$  then
8:      $score \leftarrow d$ 
9:      $result \leftarrow template$ 
10:  $score \leftarrow$  MAX((2.0 -  $score$ )/2.0, 0.0) // normalize score in [0..1]
11: return ( $result$ ,  $score$ )

```

Cloud matching function. Match two clouds ($points$ and $template$) by performing repeated alignments between their points (each new alignment starts with a different starting point index i). Parameter $\epsilon \in [0..1]$ controls the number of tested alignments ($n^\epsilon \in \{1, 2, \dots, n\}$). Returns the minimum alignment cost.

GREEDY-CLOUD-MATCH (POINTS $points$, POINTS $template$, int n)

```

1:  $\epsilon \leftarrow .50$ 
2:  $step \leftarrow \lfloor n^{1-\epsilon} \rfloor$ 
3:  $min \leftarrow \infty$ 
4: for  $i = 0$  to  $n$  step  $step$  do
5:    $d_1 \leftarrow$  CLOUD-DISTANCE( $points$ ,  $template$ ,  $n$ ,  $i$ )
6:    $d_2 \leftarrow$  CLOUD-DISTANCE( $template$ ,  $points$ ,  $n$ ,  $i$ )
7:    $min \leftarrow$  MIN( $min$ ,  $d_1$ ,  $d_2$ )
8: return  $min$ 

```

Distance between two clouds. Compute the minimum-cost alignment between $points$ and $tmpl$ starting with point $start$. Assign decreasing confidence $weights \in [0..1]$ to point matchings.

CLOUD-DISTANCE (POINTS $points$, POINTS $tmpl$, int n , int $start$)

```

1:  $matched \leftarrow$  new bool[ $n$ ]
2:  $sum \leftarrow 0$ 
3:  $i \leftarrow start$  // start matching with  $points_i$ 
4: do
5:    $min \leftarrow \infty$ 
6:   for each  $j$  such that not  $matched[j]$  do
7:      $d \leftarrow$  EUCLIDEAN-DISTANCE( $points_i$ ,  $tmpl_j$ )
8:     if  $d < min$  then
9:        $min \leftarrow d$ 
10:       $index \leftarrow j$ 
11:    $matched[index] \leftarrow$  true
12:    $weight \leftarrow 1 - ((i - start + n) \text{ MOD } n) / n$ 
13:    $sum \leftarrow sum + weight \cdot min$ 
14:    $i \leftarrow (i + 1) \text{ MOD } n$ 
15: until  $i == start$  // all points are processed
16: return  $sum$ 

```

The following pseudocode addresses gesture preprocessing (or normalization) which includes resampling, scaling with shape preservation, and translation to origin. The code is

similar to \$1 and \$N recognizers^{1,2} and we repeat it here for completeness. We **highlight** minor changes.

Gesture normalization. Gesture points are resampled, scaled with shape preservation, and translated to origin.

NORMALIZE (POINTS $points$, int n)

```

1:  $points \leftarrow$  RESAMPLE( $points$ ,  $n$ )
2: SCALE( $points$ )
3: TRANSLATE-TO-ORIGIN( $points$ ,  $n$ )

```

Points resampling. Resample a $points$ path into n evenly spaced points. We use $n = 32$.

RESAMPLE (POINTS $points$, int n)

```

1:  $I \leftarrow$  PATH-LENGTH( $points$ ) / ( $n - 1$ )
2:  $D \leftarrow 0$ 
3:  $newPoints \leftarrow points_0$ 
4: for each  $p_i$  in  $points$  such that  $i > 1$  do
5:   if  $p_i.strokeId == p_{i-1}.strokeId$  then
6:      $d \leftarrow$  EUCLIDEAN-DISTANCE( $p_{i-1}$ ,  $p_i$ )
7:     if ( $D + d$ )  $\geq I$  then
8:        $q.x \leftarrow p_{i-1}.x + ((I - D)/d) \cdot (p_i.x - p_{i-1}.x)$ 
9:        $q.y \leftarrow p_{i-1}.y + ((I - D)/d) \cdot (p_i.y - p_{i-1}.y)$ 
10:       $q.strokeId \leftarrow p_i.strokeId$ 
11:      APPEND( $newPoints$ ,  $q$ )
12:      INSERT( $points$ ,  $i$ ,  $q$ ) //  $q$  will be the next  $p_i$ 
13:       $D \leftarrow 0$ 
14:     else  $D \leftarrow D + d$ 
15: return  $newPoints$ 

```

PATH-LENGTH (POINTS $points$)

```

1:  $d \leftarrow 0$ 
2: for each  $p_i$  in  $points$  such that  $i > 1$  do
3:   if  $p_i.strokeId == p_{i-1}.strokeId$  then
4:      $d \leftarrow d +$  EUCLIDEAN-DISTANCE( $p_{i-1}$ ,  $p_i$ )
5: return  $d$ 

```

Points rescale. Rescale $points$ with shape preservation so that the resulting bounding box will be $\subseteq [0..1] \times [0..1]$.

SCALE (POINTS $points$)

```

1:  $x_{min} \leftarrow \infty$ ,  $x_{max} \leftarrow 0$ ,  $y_{min} \leftarrow \infty$ ,  $y_{max} \leftarrow 0$ 
2: for each  $p$  in  $points$  do
3:    $x_{min} \leftarrow$  MIN( $x_{min}$ ,  $p.x$ )
4:    $y_{min} \leftarrow$  MIN( $y_{min}$ ,  $p.y$ )
5:    $x_{max} \leftarrow$  MAX( $x_{max}$ ,  $p.x$ )
6:    $y_{max} \leftarrow$  MAX( $y_{max}$ ,  $p.y$ )
7:  $scale \leftarrow$  MAX( $x_{max} - x_{min}$ ,  $y_{max} - y_{min}$ )
8: for each  $p$  in  $points$  do
9:    $p \leftarrow ((p.x - x_{min})/scale, (p.y - y_{min})/scale, p.strokeId)$ 

```

Points translate. Translate $points$ to the origin (0, 0).

TRANSLATE-TO-ORIGIN (POINTS $points$, int n)

```

1:  $c \leftarrow (0, 0)$  // will contain centroid
2: for each  $p$  in  $points$  do
3:    $c \leftarrow (c.x + p.x, c.y + p.y)$ 
4:  $c \leftarrow (c.x/n, c.y/n)$ 
5: for each  $p$  in  $points$  do
6:    $p \leftarrow (p.x - c.x, p.y - c.y, p.strokeId)$ 

```

¹<http://depts.washington.edu/aimgroup/proj/dollar/index.html>

²<http://depts.washington.edu/aimgroup/proj/dollar/ndollar.html>