

The data set for this homework assignment can be found on the Ocean 423 web site.

Download the file circ.mat. In it, you will find the following variables

H The depth of the wind-driven layer (m)

N The buoyancy frequency (1/s)

R_earth Radius of the earth (m)

omega rotation rate of the earth

rho_o the mean density of the fluid

latnp Latitude vector in degrees

stressnp zonal wind-stress N/m²

Using this data set, make the following calculations and plot each quantity. Make sure you look at the units and orders of magnitude of each quantity.

- Compute and plot Coriolis parameter as a function of latitude and plot it (remember that latitude is in degrees, not radians). This has units of 1/s.
- Compute and plot beta as a function of latitude. This has units of $s^{-1} m^{-1}$.
- Compute and plot the meridional Ekman volume transport per unit length as a function of latitude and plot it (with units of $m^2 s^{-1}$).
- Compute and plot the Ekman pumping as a function of latitude (units of m/s). At what latitudes does the sign of the Ekman pumping change?
- Compute and plot the total (Ekman plus geostrophic) meridional volume transport per unit length of longitude from the Sverdrup balance and plot it (units of $m^2 s^{-1}$).
- Compute and plot the total meridional volume transport assuming that the ocean basin is 70 degrees of longitude wide. Give this in units of Sverdrups, $10^6 m^3 s^{-1}$. At what latitude is the maximum northward western boundary current transport as predicted by Sverdrups theory?
- Compute and plot the baroclinic Rossby radius of deformation as a function of latitude.
- Compute and plot how long (in years) it would take a 1st mode baroclinic Rossby wave to carry the signal of this change to the western boundary from the eastern boundary, as a function of latitude.

Tips to using matlab

- Use the subplot command to divide the page up into many plots
- Remember to save your script so you can redo if you make a mistake.
- If you want to take the derivative of a vector b of length 20

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gradb=b(2:20)-b(1:19)
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Note that the gradient is one shorter than the original vector.