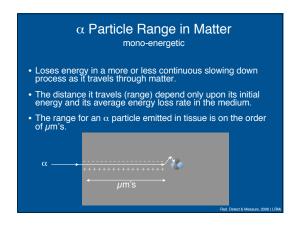
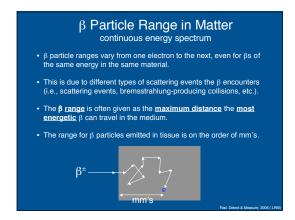
## Radiation Detection and Measurement

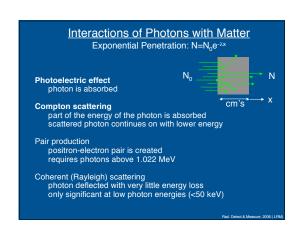
1 June 2006 Larry MacDonald macdon@u.washington.edu

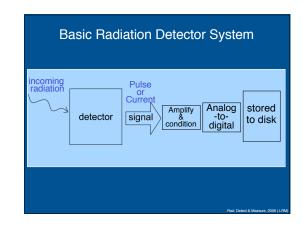
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#### Types of radiation relevant to **Nuclear Medicine** Particle Mass (MeV/c2) Symbol Charge Electron e-, β -0.511 0.511 Positron e+, β+ Alpha 3700 +2 **Photon** no rest mass none









#### **Basic Radiation Detector Systems**

What do you want to know about the radiation?

Energy?

Position (where did it come from)?

How many / how much?

Important properties of radiation detectors

(depends on application)

Energy resolution

Spatial resolution

Sensitivity

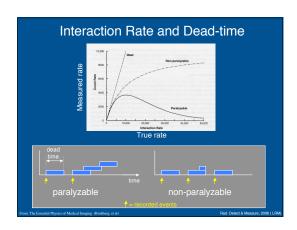
Counting Speed

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#### Pulse Mode versus Current Mode

- Pulse mode
  - Detect individual photons
  - Required for NM imaging applications
- Current mode
- Measures average rates of photon flux
- Avoids dead-time losses

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#### Types of Radiation Detectors

detection modes / functionality

- Counters
- Number of interactions
- Pulse mode
- Spectrometers
- Number and energy of interactions
- Pulse mode
- Dosimeters
  - Net amount of energy deposited
  - Current mode
- Imaging Systems
  - CT = current mode
  - NM = pulse mode

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#### Types of Radiation Detectors

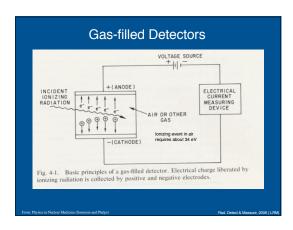
physical composition

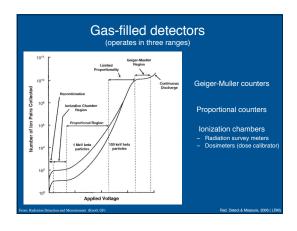
- Gas-filled detectors
- · Solid-state (semiconductor) detectors
- Organic scintillators (liquid & plastic)
- · Inorganic scintillators

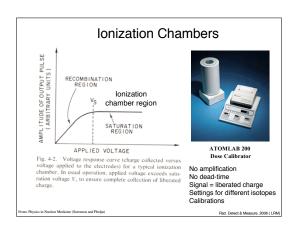
scintillators operate with a photo-sensor

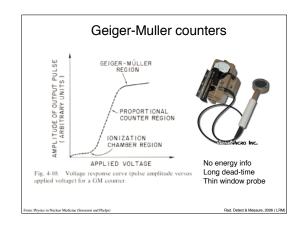
(i.e. another detector)

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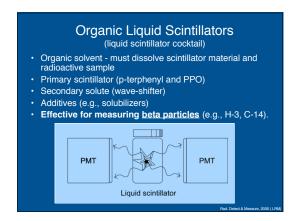


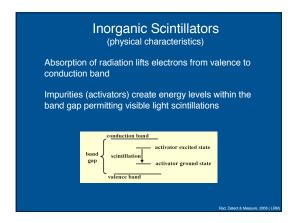


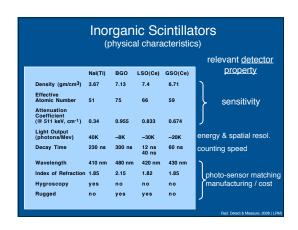


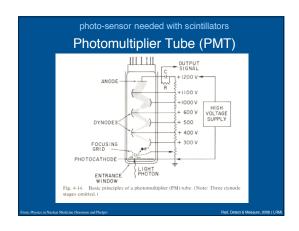
## Semiconductor Detectors Works on same principle as gas-filled detectors (i.e., production of electron-hole pairs in semiconductor material) Only ~3 eV required for ionization (~34 eV, air) Usually needs to be cooled (thermal noise) Usually requires very high purity materials or introduction of "compensating" impurities that donate electrons to fill electron traps caused by other impurities

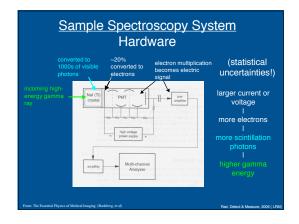


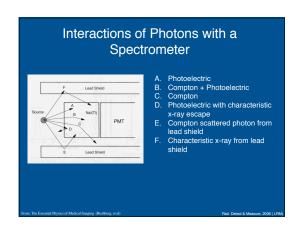


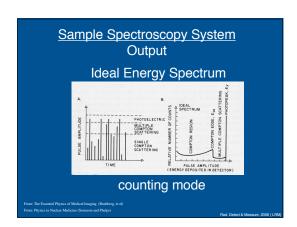


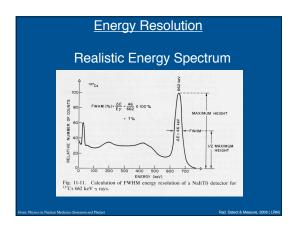


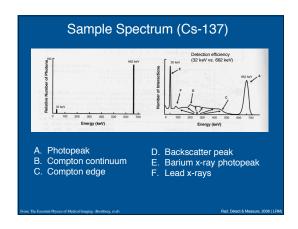


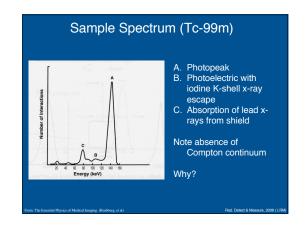


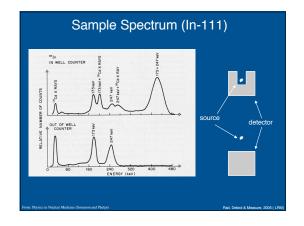


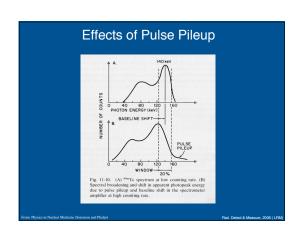


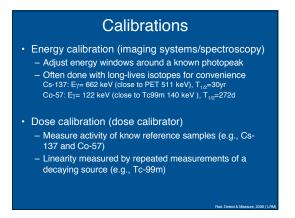


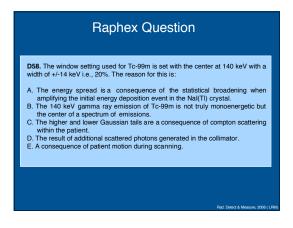


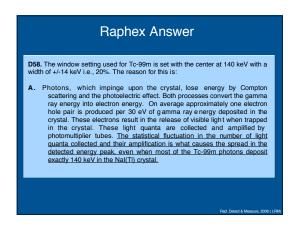














#### Sources of Error

- Systematic errors
  - Consistently get the same error
- Random errors
  - Radiation emission and detection are random processes
- Blunder
- operator error

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#### Measures of Central Tendency

- Mean
- Average value
- Median
  - Middlemost measurement (or value)
  - Less affected by outliers

Example: 8, 14, 5, 9, 12 Mean = 9.6 Median = 9

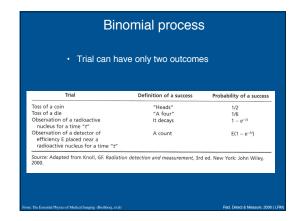
ad. Detect & Measure, 2006 ( Li

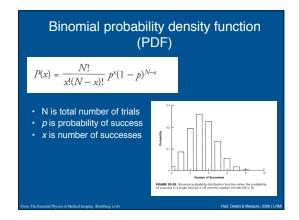
# Measures of Variability • Variance - Measure of variability: $\sigma^2 = \frac{(x_1 - \overline{x})^2 + (x_2 - \overline{x})^2 + \dots + (x_N - \overline{x})^2}{N - 1}$ • Standard deviation - Square root of variance $\sigma = \sqrt{\sigma^2}$

#### Statistical Models for Random Trials

- · Binomial Distribution
- · Poisson Distribution
  - Simplification of binomial distribution with certain constraints
- · Gaussian or Normal Distribution
  - Further simplification if average number of successes is large (e.g., >20)

of Datast & Manager 2000 ( LD)





### Binomial probability density function mean and variance

$$\overline{x} = pN$$
 and  $\sigma = \sqrt{pN(1-p)}$ 

- · N is total number of trials
- p is probability of success
- $\overline{x}$  is mean,  $\sigma$  is standard deviation

If *p* is very small and a constant then:

$$\sigma = \sqrt{pN(1-p)} \approx \sqrt{pN} = \sqrt{\bar{x}}$$

Same as Poisson random process.

Rad. Detect & Measure, 2006 ( LR

#### Poisson PDF

- Radioactive decay and detection are Poisson random processes
  - Observation time is short compared to the half-life of the source
    - probability of radioactive decays (i.e., p) remains constant
      probability of a given nucleus undergoing decay is small
- Variance
  - Variance = mean =  $pN = \overline{x}$
- Standard deviation
- Standard deviation =  $\sqrt{\text{variance}}$  =  $\sqrt{\text{pN}}$  =  $\sqrt{\overline{x}}$
- Can estimate standard deviation from a single measurement

Detect & Measure, 2006 ( LRI

