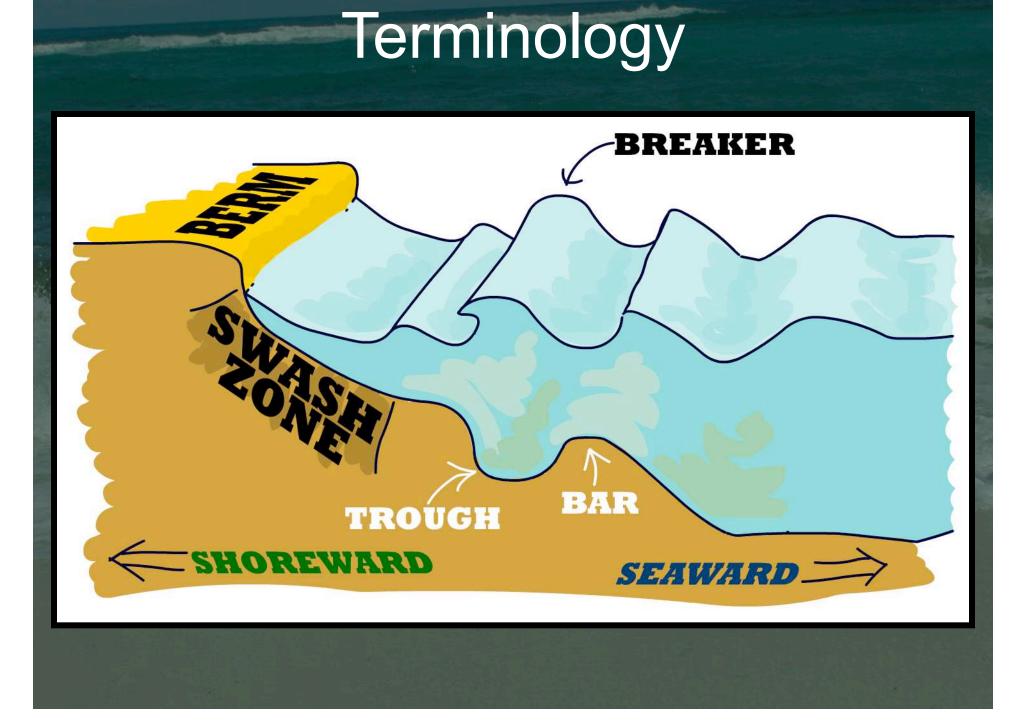
Wave-induced changes in beach profile and porous flow

Hallie Torrey University of Washington May 2008

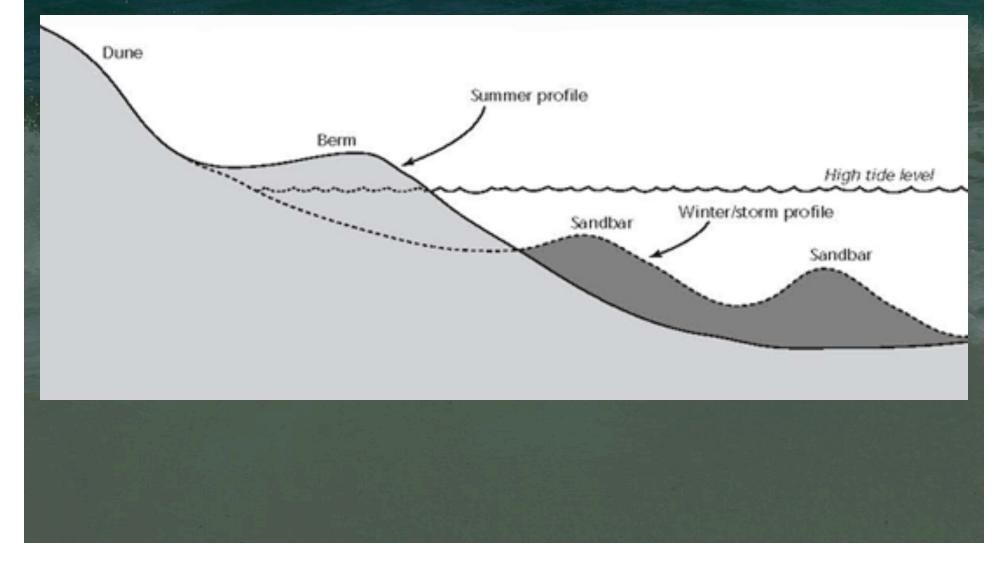
WINTER

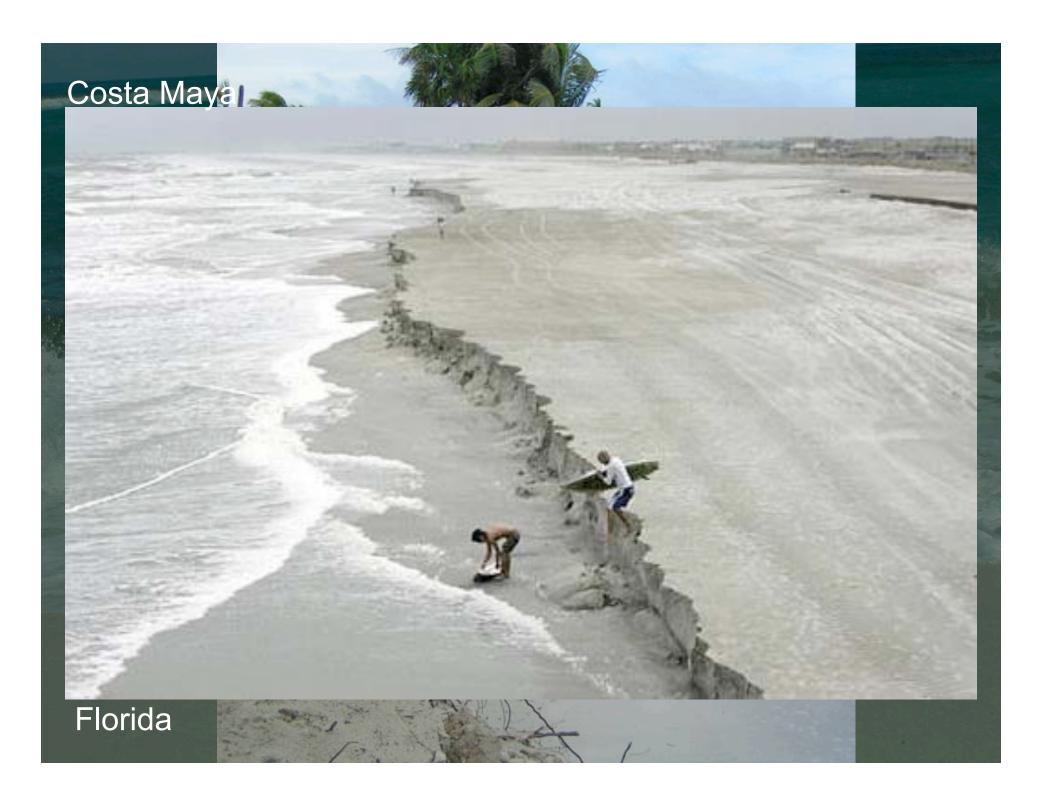
SUMMER

50



Winter vs. Summer





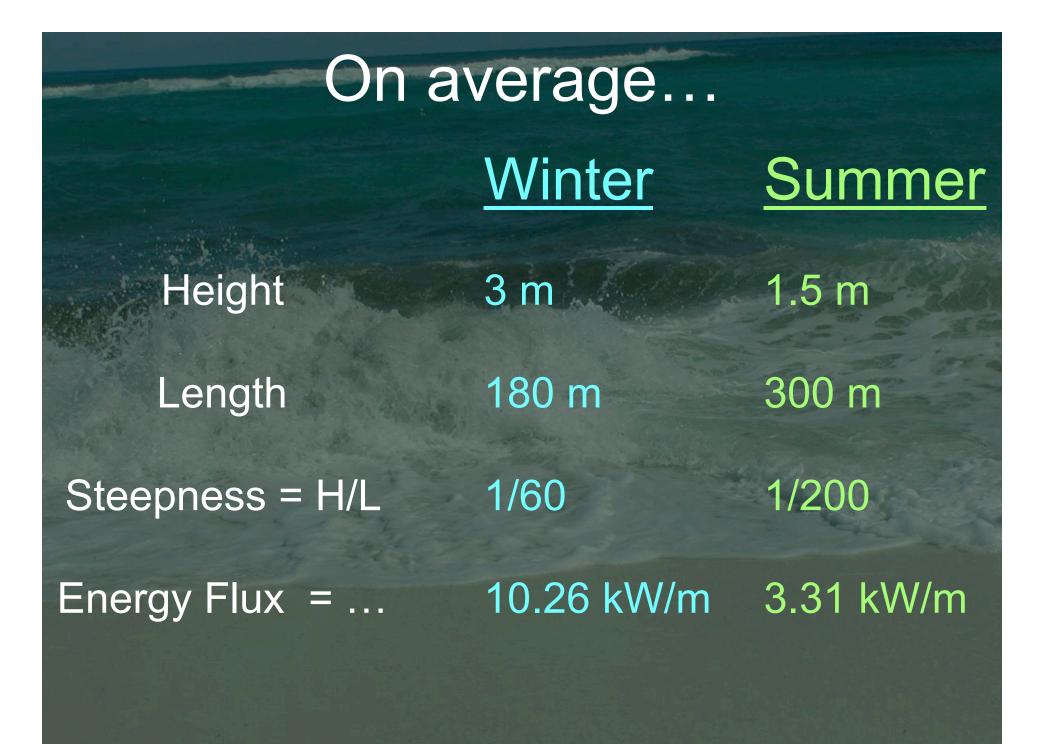
North Beach, Ocean Shores





October, 1995

June, 2001



Wint Summ **Energy Flux** Height er er Length $= c_g (KE+PE)$ 3 m 1.5 m Steepne 180 300 m 1/200 SS m Group Velocity = 1/2 (Phase Speed in Deep Water) $= \frac{1}{2} (gL/2\pi)^{\frac{1}{2}}$ WINTER: 8.38 m/s SUMMER: 10.82 m/s

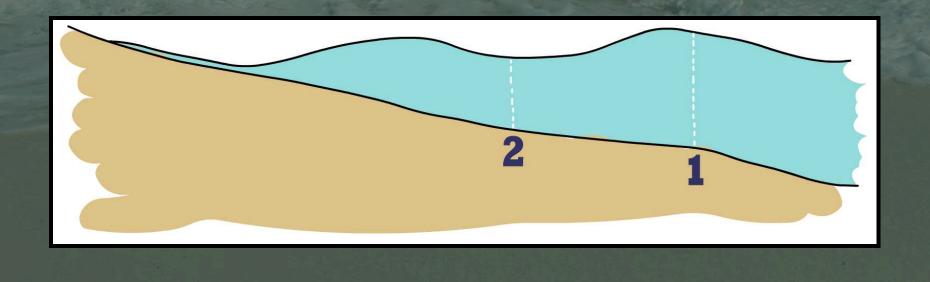
Kinetic Energy + Potential Energy = $\frac{1}{8} (\rho_0 g H^2)$ WINTER: 1,225 kg/s² SUMMER: 306.25 kg/s²

Energy Flux = C_g (KE+PE) WINTER: 10.26 kW/m SUMMER: 3.31 kW/m

Breaking Waves

For shallow water waves, $c_q = c = (gD)^{1/2}$

As a wave travels, energy flux is constant: $E_1c_1 = E_2c_2 \quad E_1/E_2 = \frac{c_2}{c_1}$



Breaking Waves

CHANGE IN WAVE HEIGHT:

 $E_1/E_2 = c_2/c_1 \rightarrow ----$

 $\frac{1/8 (\rho_0 g H_1^2)}{1/8 (\rho_0 g H_2^2)} = \frac{(g D_2)^{1/2}}{(g D_1)^{1/2}}$

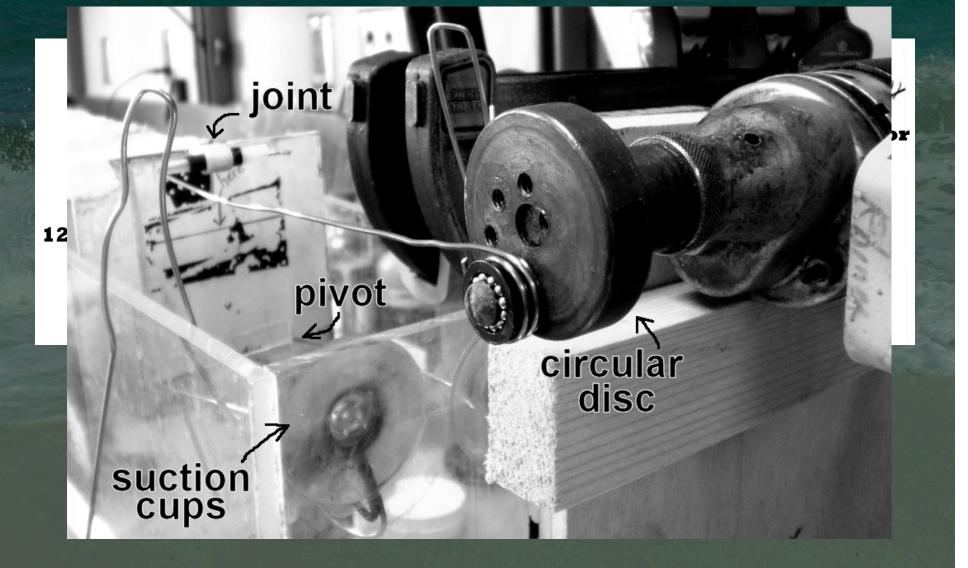
 $\rightarrow H_1/H_2 = (D_2/D_1)^{1/4}$

CHANGE IN WAVE STEEPNESS:

Use dispersion relation: $\omega^2 = gD/L_s \rightarrow 1/L_s = \omega/(gD)^{1/2}$

 $H/L_{s} \sim D^{-1/4} \cdot \omega/(gD)^{1/2} = D^{-3/4} \cdot \omega/g^{1/2}$

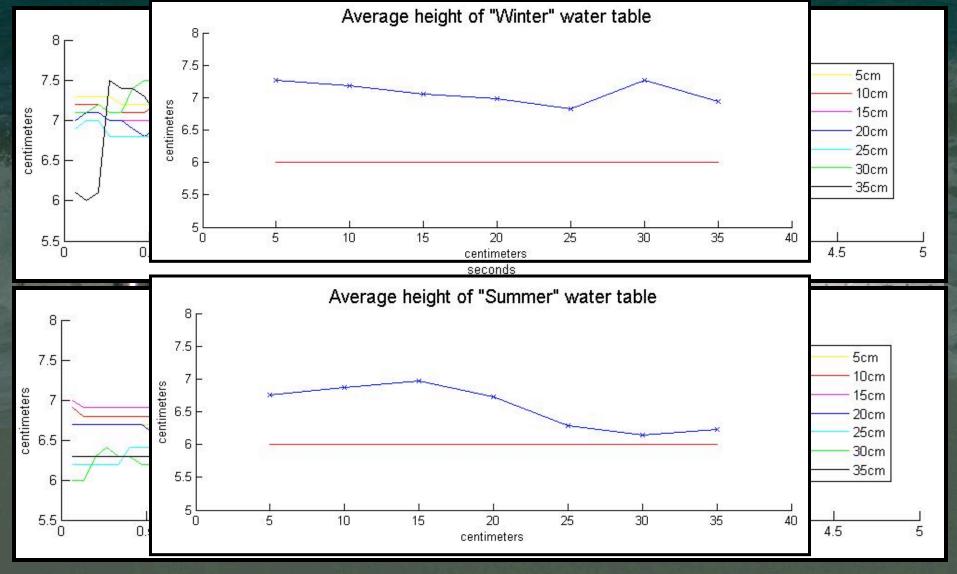
Apparatus

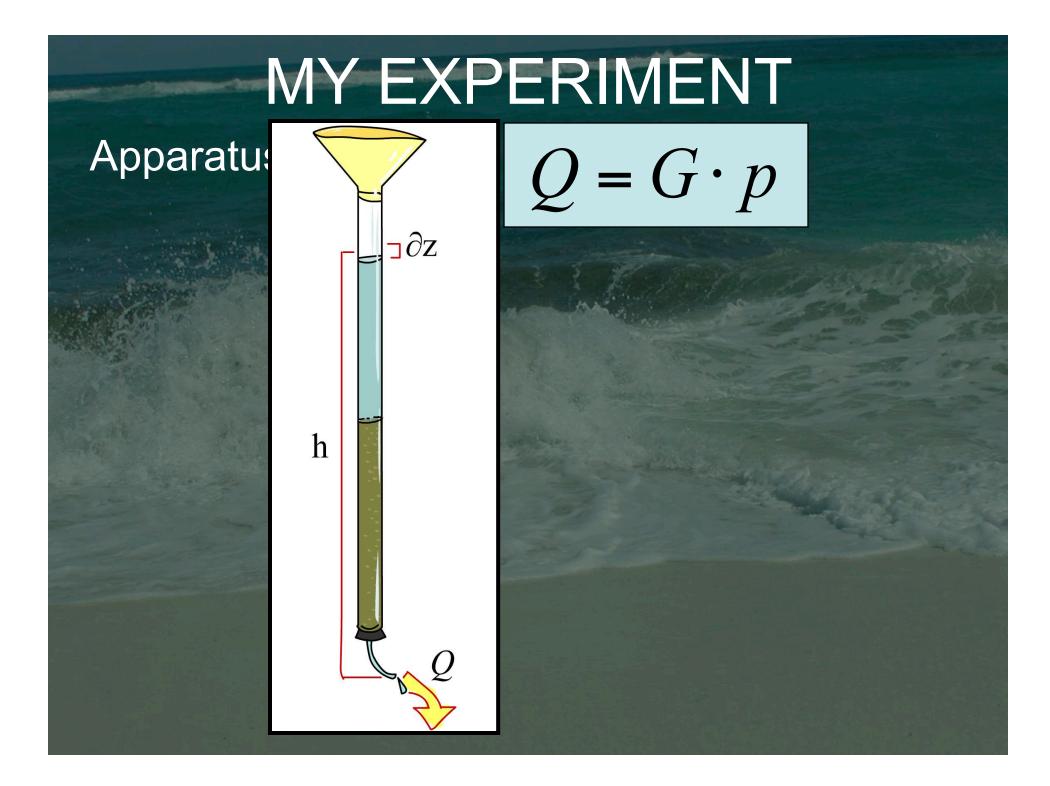


Observations

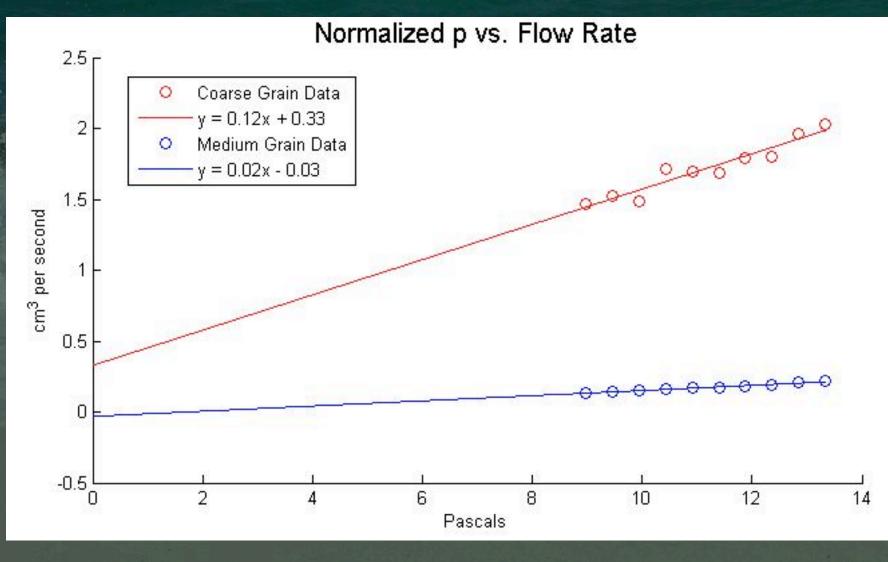
... cue the movies!!!

Observations





Observations



Governing Equations

Conservation of Momentum:

$$\vec{u} = K\nabla p = \nabla \Phi$$

Conservation of Mass:

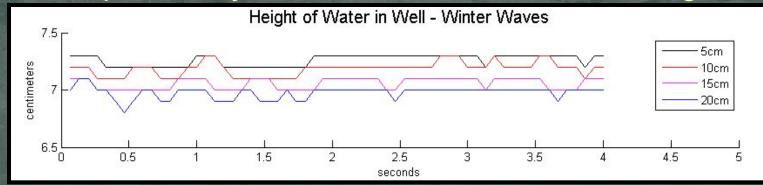
$$\frac{\partial \rho}{\partial \tau} = -\rho \nabla \cdot \vec{u}$$
$$0 = \nabla \cdot \vec{u}$$

$$\Rightarrow \frac{\partial^2 \Phi}{\partial x^2} + \frac{\partial^2 \Phi}{\partial y^2} = \nabla^2 \Phi = 0$$

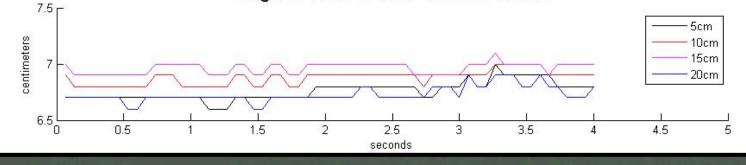
ELLIPTIC!

= ()

Boundary conditions are periodic. Is the periodicity "felt" INSTANTLY within the region?



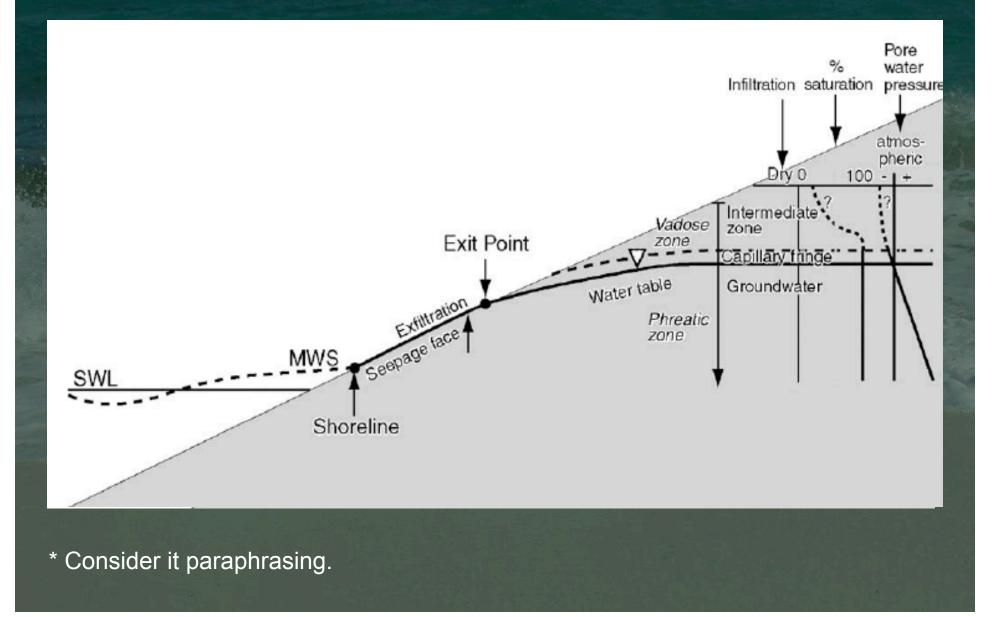
Height of Water in Well - Summer Waves



Ohm and Darcy

So-and-so said...

*



So-and-so said...*

"Use the Boussinesq equation!"

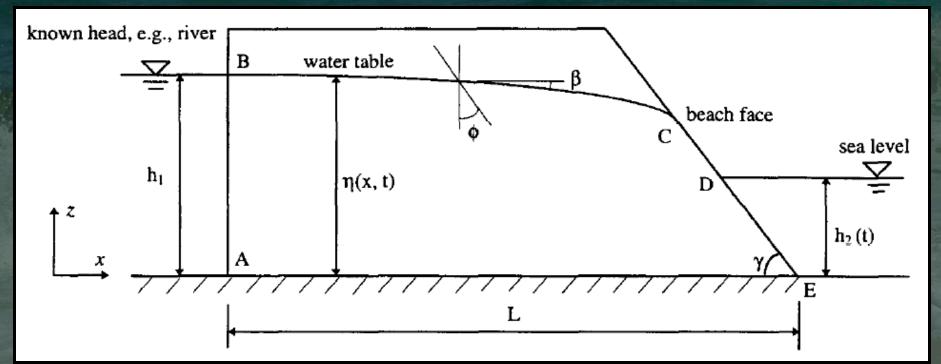
$$\frac{\partial h}{\partial t} = \frac{K}{s} \frac{\partial}{\partial x} \left(h \frac{\partial h}{\partial x} \right)$$

"Assume the Dupuit-Forchheimer approximation!"

* Consider it paraphrasing

So-and-so said...*

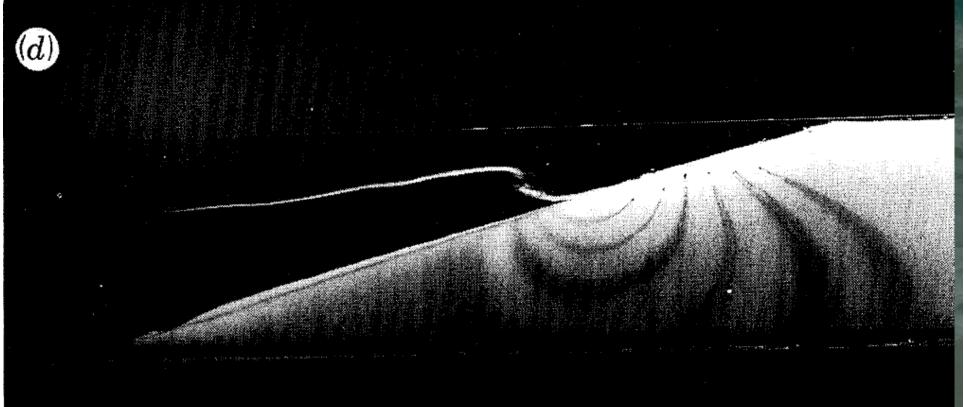
"Solve Laplace's Equaion!"



* Consider it paraphrasing.



"Solve Laplace's Equaion!"



* Consider it paraphrasing.



References

- [1] Cardenas, M. Bayani and J.L. Wilson, "Exchange across a sediment-water interface with ambient groundwater discharge." Elsevier Ltd (Copyright 2007)
 - Cardenas, M. Bayani and J.L. Wilson, "Hydrodynamics of coupled .ow above and below a sediment-water interface with triangular bedforms." Elsevier Ltd (Copyright 2006)
- [4] Komar, Paul D., Beach Processes and Sedimentation. Prentice Hall, Inc, Englewood Cli¤s, New Jersey, 1976
 - Turner, Ian L. and Gerhard Masselink, "Swash in.Itration-ex.Itration and sediment transport." Journal of Geophysical Research, 103 (1998), No C13, pp 30,813-30,824

Plus more!

[2]

[8]