

# Safety and Certification of Discontinuous Fiber Composite Structures

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#### University of Washington

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# Research team

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Source: www.hexcel.com

- Almost net-shape design of complex parts;
- Significant increase in volumes of production;
- Interesting mechanical properties;





Lamborghini Huracan



Source: www.lamborghini.com



Source: www.toyota.com



#### Lamborghini Urus



Because the size of the main heterogeneities is significant compared to the one of typical DFC components, the mechanical behavior is strongly affected by the material mesostructure.



However, the complex mesostructure enables large damage progression and fracture energy dissipation.



Barthelat et al., JMPS, 2014 Boursier et al., SAMPE, 2012

#### Damage tolerance is a highly desirable property!



# Objectives

- Investigate the main mechanisms of damage progression and fracture in the presence of notches and defects;
- Clarify the role played by the platelet morphology and the mesostructure on the fracturing behavior;
- Develop guidelines for the experimental characterization of the fracturing behavior and for the design in the presence of stress risers;
- Clarify the role of *defects* such as dents and intralaminar cracks and provide guidelines for nondestructive evaluation

• Ultimately, the objective of this AMTAS project is to help ease the path to certification of DFC parts of aerospace structural parts.

# Methodology: DFC manufacturing with controlled platelet size





Prepreg sheets are cut into combs using CNC machine



Chips are randomly distributed to form bulk material, ready for the hotpress

Cut across the combs to make chips in desired dimensions

## Methodology: Size effect test



## Methodology: Size effect test





Coupon 5 (width 6.3 mm)



Coupon 1 (width 120 mm)

## Methodology: Size effect test





#### Test plan

#### Chip size effect test:

Chip size variables	75x12, 50x8, 25x4 (mm)
Fixed thickness	3 (mm)
Coupon size variables	343 x 120, 254 x 80, 165 x 40, 120.5 x 20, 90 x 6.3 (mm)
Number of coupons in each variables	6
Total number of coupons	90

#### Thickness effect test:

Thickness variables	1, 2, 4 (mm)
Fixed chip size	50 x 8 (mm)
Coupon size variables	343 x 120, 254 x 80, 165 x 40, 120.5 x 20, 90 x 6.3 (mm)
Number of coupons in each variables	6
Total number of coupons	90

### Preliminary results: size effect plot



## Preliminary results: 75 x 12 mm platelets



## DIC data for the 75 x 12 mm case

#### Max principal strain



Let's define the nominal stress in the specimen as:

$$\sigma_N = P/(tD)$$
  $P = applied load  $D = width$  (1)  
 $t = thickness$$ 

the following expression holds for the initial fracture energy:

$$G_{f}(\alpha) = \frac{\sigma_{N}^{2}D}{E^{*}}g(\alpha) = \frac{\sigma_{N}^{2}D}{E^{*}}g(\alpha_{0} + c_{f}/D) \qquad \begin{array}{l} \alpha = a/D \\ E^{*} = \text{effective modulus} \\ g = \text{dimensionless energy release rate} \end{array}$$
(2)

By expanding g in Taylor Series, retaining only 1<sup>st</sup> order terms and re-arranging:

$$\sigma_N = \sqrt{\frac{E^* G_f}{Dg(\alpha_0) + c_f g'(\alpha_0)}}$$

**Bažant's Size Effect Law (SEL)** for quasi-brittle materials (extended to DFCs)

(3)

# Calculation of g and g': microstructure generation



#### Platelet orientation distribution



## Calculation of g and g'



Let's relate the nominal stress to the energy release rate through a dimensionless function g:

$$G = \frac{\sigma_N^2 D}{E^*} g(\alpha)$$
  $\sigma_N = P/(tD)$   $P = applied load$   $D = width$   
 $t = thickness$ 

For a given P, G can be calculated by leveraging on its definition:

$$G(P,a) = \frac{1}{t} \left( \frac{\partial \Pi^*(P,a)}{\partial a} \right)_P \approx \frac{1}{t} \frac{\Pi^*(P,a+\delta a/2) - \Pi^*(P,a-\delta a/2)}{\delta a}$$

 $\Pi^* = {\rm total} \ {\rm complementary} \ {\rm strain} \ {\rm energy} \ {\rm in} \ {\rm the} \ {\rm structure}$ 

Then g and g' can be calculated from G:

$$g\left(\alpha\right) = rac{GE^*}{\sigma_N^2 D}$$

$$\alpha = a/D$$

g accounts both for the geometry and microstructural effects

## Estimation of Fracture Energy from Size Effect

$$\sigma_N = \sqrt{\frac{E^* G_f}{Dg(\alpha_0) + c_f g'(\alpha_0)}}$$

#### **Linear Regression Analysis:**

$$\frac{1}{\sigma_{Nc}^2} = \frac{g(\alpha_0)}{EG_f}D + \frac{c_f g'(\alpha_0)}{E^*G_f}$$



$$a_t \approx 10 \text{ mm}$$
  
 $G_f \approx 77 \text{ N/mm}$ 

about 9 times larger than Al 7075!

#### Analysis of morphology and fracture analysis

C-Scan



Size 4 (width = 20mm)

DIC in Eyy

#### Analysis of morphology and fracture analysis



Optical microscope (A) θ

> Resin pocket

Micro Computed Tomography





#### Prediction of fracture onset for other configurations

1) By Size Effect law with updated g ang g'

$$\sigma_N = \sqrt{\frac{E^* G_f}{Dg(\alpha_0) + c_f g'(\alpha_0)}}$$

2) By Cohesive Zone Modeling of crack propagation

$$G_f = w_f / th$$

 $w_f =$  work of fracture

h = element width



3) By 3D damage model with 3D description of the mesostructure



#### Analysis of damage in curved beams

#### Curved beam testing

Comprehensive experimental campaign on curved beam specimens with various thicknesses







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