# Durability of adhesive bonded joints in aerospace structures

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Date: 11/08/2017

AMTAS Fall meeting Seattle, WA

## Durability of Bonded Aircraft Structure

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- Other FAA Personnel Involved
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- Industry Participation
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### Durability of adhesive bonded joints in aerospace structures



Primary Research Aim: Modeling of adhesive plasticity to describe nonlinear stress-strain response.

Sub Task:

- 1. Identify the influence of yield criterion and hardening rule on bonded joints (complete)
- 2. Characterizing hardening rule (complete Dec 2017)
- 3. Characterizing yield criterion (complete Dec 2017)
- 4. Numerically combining hardening rule and yield criterion (complete Feb 2017)

- 1. Identify yield criterion and hardening rule of bonded joints
- Input properties: Bulk and Thin film adhesive properties in Tension.



#### 1. Identify the influence of yield criterion and hardening rule on bonded joints

- Background: Investigate yield criterion and hardening rule of bonded joints.
- Outcome type: Comparison of Test results vs different FEA models





- Validation of Material model: Isotropic vs Kinematic hardening
- Choice of Input property: Bulk vs. Thin film





- Status: Completed, Journal paper submitted
- Task outcome: Adhesive follows a von Mises yield criterion and kinematic hardening

- Validation of Material model: Isotropic vs Kinematic hardening
- Choice of input property: Bulk = thin film (for Standard adhesive)



1 Shear strain

Location of uniaxia

Axial strain

Bondline

load

- Status: Completed, Journal paper submitted
- Task outcome: Adhesive follows a von Mises yield criterion and kinematic hardening

#### 2. Characterize hardening rule

- **Background**: Similar to metals, adhesives could follow isotropic, kinematic or combined hardening rule.
- Lot of research done with metals, but none with bonded joints.
- This has to be verified by studying the movement of the yield surface under cyclic tension compression loading in a biaxial stress space.



• **Outcome type**: Cyclic ten-comp tests for scarf joint. Plot of yield surface translation/expansion/both, Journal paper





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• **Status**: Documentation in progress

• Task outcome: Yield surface showed translation after stabilizing cycles in a strain controlled/decreasing stress experiment (Kinematic hardening).

- 3. Characterizing yield criterion
- **Background**: Assumption of yield criteria to avoid complex characterization with thin bonded joints
- Test bonded joints with mixed mode Arcan fixture to plot yield surface in biaxial stress space to identify shape of yield surface.
- Outcome type: Test results, Journal paper



Normal component: 
$$\sigma_V = \frac{F \cos \theta}{A}$$
  
Shear Component:  $\sigma_U = \frac{F \sin \theta}{A}$ 





#### Assembly: fixture and coupon





- **Status**: Documentation in progress
- Task outcome: yield surface shape and size to be plotted from experimental data.



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- 4. Numerically modeling nonlinear hardening rule.
- **Background**: Modeling of nonlinear hardening is common in metals.
- Nonlinear hardening has not been characterized for bonded joints due to experimental complexities, assumed to be linear.
- To model nonlinear hardening by including possible effects form both Isotropic and or kinematic hardening.
- **Outcome type**: Numerical modeling, comparison of experiment and simulation, Journal paper
- Status: Identified the modeling technique to use cyclic scarf test data to extract nonlinear hardening parameters by separating isotropic and kinematic hardening components (estimated Feb 2018)
- Task outcome: Numerical modeling-FEA simulation of nonlinear hardening

#### Background

- The time-dependent behavior of adhesives is important for the durability
- Seldom accurate models for adhesives to predict the ratcheting
- The response of shear coupons is more complicated to test

#### **Objectives**

The final objective is to build a shear viscoelastic modeling on bonded joints for ratcheting.:

- Viscoelastic response of bulk resin, closed form model (complete)
- FEA Viscoelasticity model of bulk Resin (12/31/2017)
- FEA viscoelastic model of bonded joints in creep (05/31/2018)
- FEA viscoelastic model of bonded joints in ratcheting (12/31/2018)

•FM300-2



Cycles

# Ratcheting Efforts (Extensometer)

- Extensometer can slip during ratcheting
- Used Digital Image Correlation to try to capture peak strains
  - DIC does not sample fast enough
- Shear strain gauge measurement will begin next week



Good ratcheting result from extensometer



Ratcheting result with suspected extensometer slippage

#### > Tensile Viscoelasticity Modeling on Bulk Resin

| Material Type   | Material Model                        | Components of Model                           | Nonlinear | Time-<br>Dependent | Tried | Results   |
|-----------------|---------------------------------------|---|-----------|--------------------|-------|---|
| Elasticity      | 22.2 Linear Elasticity                | Elastic                                       |           |                    |       |   |
|                 | 22.3 Porous Elasticity                | Porous Elastic                                | •         |                    |       |   |
|                 | 22.4 Hypoelasticity                   | Hypoelastic                                   | •         |                    |       |   |
|                 | 22.5 Hyperelasticity                  | Hyperelastic                                  | •         |                    |       |   |
| Plasticity      | 23.2.1 Classical Metal Plasticity     | Plastic                                       | •         |                    |       |   |
|                 | 23.2.4 Rate-Dependent Plasticity      | Creep: time hardening                         | •         | •                  | •     | No viscoelastic strain in<br>recovery stage.                  |
|                 | 23.2.6 Anisotropic Yield/Creep        | Plastic or Creep                              | •         | •                  |       |   |
|                 | 23.2.11 Two-Layer Viscoplasticity     | Elastic<br>Plastic<br>Viscous: time hardening | •         | •                  | •     | Difference in creep stage of<br>80% loading.                  |
| Viscoelasticity | 22.7 Linear Viscoelasticity           | Viscoelastic                                  |           | •                  | •     | No permanent strains in recovery.                             |
|                 | 22.8.1 Hysteresis in Elastomers       | Hysteresis<br>Hyperelastic                    | •         | •                  | •     | Can not fit for three kinds loading simultaneously.           |
|                 | 22.8.2 Parallel Rheological Framework | Hyperelastic<br>Viscous:<br>strain hardening  | •         | •                  | •     | Difference in creep and<br>recovery stages of 80%<br>loading. |

Simulate the tensile creep-recovery behaviors of EA9696 bulk coupons under loading of 20% UTS, 50% UTS and 80% UTS.

• 23.2.4 Rate Dependent Plasticity



• Time hardening:  $\dot{\varepsilon}^{cr} = A\sigma^n \cdot t^m$ 

| Parameter | 20%      | 50%      | 80%      |
|-----------|----------|----------|----------|
| EO(MSI)   | 283842.8 | 269043.2 | 234234.2 |
| А         | 3.8e-8   | 3.8e-8   | 2.8e-8   |
| n         | 1        | 1        | 1.17     |
| m         | -0.92    | -0.92    | -0.92    |

Fig.1 comparison between simulation and test

• 23.2.11 Two-Layer Viscoplasticity





Fig.3 Model Sketch

• Viscous part:  $\dot{\varepsilon}_{ev}^{v} = A \cdot \sigma_{ev}^{n} \cdot t^{m}$ 

| Parameter | Value    |
|-----------|----------|
| А         | 2.496e-7 |
| n         | 1.1809   |
| m         | -0.12968 |

• 22.7 Linear Viscoelasticity



#### • 2-branch Prony series

| Parameter | 20%      | 50%      | 80%      |
|-----------|----------|----------|----------|
| EO(MSI)   | 283842.8 | 269043.2 | 234234.2 |
| G1        | 0.0398   | 0.0511   | 0.0487   |
| τ1(S)     | 13.228   | 20.654   | 16.6     |
| G2        | 0.057    | 0.0733   | 0.0758   |
| τ2(S)     | 306.47   | 318.44   | 308      |

• 22.8.1 Hysteresis in Elastomers







• Network B: 
$$\dot{\epsilon}_B^{cr} = A \cdot (\epsilon^{cr})^C \cdot \sigma_B^m$$

| Parameter | Value     |
|-----------|-----------|
| А         | 3.8969e-3 |
| m         | 3         |
| с         | -0.082312 |

• 22.8.1 Hysteresis in Elastomers





• Network B: 
$$\dot{\epsilon}_B^{cr} = A \cdot (\epsilon^{cr})^C \cdot \sigma_B^{m}$$

| Parameter | Value     |
|-----------|-----------|
| А         | 3.8696e-3 |
| m         | 8.4       |
| с         | -0.02312  |

• 22.8.2 Parallel Rheological Framework





• Viscous part:

$$\dot{\epsilon}^{cr} = (Aq^n[(m+1)\epsilon^{cr}]^m)^{\frac{1}{m+1}}$$

| Parameter | Branch-1 | Branch-2 | Branch-3 |
|-----------|----------|----------|----------|
| А         | 2.01e-12 | 9.7e-14  | 2.94e-11 |
| n         | 3.1284   | 1.4683   | 1.6875   |
| m         | -0.04    | -0.09    | -0.007   |

Fig.5 comparison between simulation and test

• 22.8.2 Parallel Rheological Framework-Ratcheting





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1000 cycle ratcheting-recovery



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Fig.5 comparison between simulation and test

#### • Further Work

- Tensile Viscoelasticity Modeling on Bulk Resin (12/31/2017)
- Optimize parameters in mentioned Parallel Rheological Framework Model and Two-Layer Viscoplasticity Model
- Modify the viscous equations(exponents expression) in PRF and Two-Layer Viscoplasticity Models which have effect on the slope of creep curve and permanent strain
- A model with higher strain rate for 80% loading
- UMAT
- Shear Viscoelastic Modeling on Bonded Joints for Creep (05/31/2018)
- Simulate the creep/recovery behavior of WALS coupons, scarf joints.
- Verify the linear/ nonlinear model by comparison with the test data.
- Shear Viscoelastic Modeling on Bonded Joints for Ratcheting (12/31/2018)
- Simulate the ratcheting/recovery behavior of WALS coupons, scarf joints.
- Verify this model by comparison with the test data.

# Summary

- Plasticity
  - Adhesives we've tested follow a von Mises yield criterion
  - Adhesives we've tested follow a kinematic hardening rule
- Viscoelasticity
  - Adhesives become non-linear about 50% UTS
  - Ratcheting response is greater in shear than in normal stress

# Future work

- Plasticity
  - Complete yield and hardening tests
  - Incorporate yield and hardening results in a predictive FEA model
- Viscoelasticity
  - Complete ratcheting experimental tests
    - Include strength and fracture toughness changes with ratcheting
  - Develop FEA model of non-linear viscoelastic response under creep
  - Apply model to shear and ratcheting loading environments