

Durability of Bonded Aircraft Structure

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Durability of Bonded Aircraft Structure

Motivation and Key Issues:

- Adhesive bonding is a key path towards reduced weight in aerospace structures.
- Certification requirements for bonded structures are not well defined.
- Objective
- Improve our understanding of adhesive response under fatigue loading.
 - Effect of peel stress on static and fatigue response.
 - Response in tension and shear, in bulk and thin bonds.
 - Effect of joint toughness on fatigue life.
 - Visco-elastic response in static and cyclic loading.
- Approach
 - Coupons with varying amounts of peel stress
 - Bulk adhesives and thin bonds, plasticity models
 - Bond thickness and temperature
 - Non-linear viscoelasticty







Double Cantilever Beam (DCB)



Films Pastes

- EA9696 High toughness
- FM300-2 ≈ EA9380.05
- EA9394 Low toughness (adhesive failure)











Coupon Peel Stress

FEA Results :

- Scarf has no load eccentricity
- Scarf has a uniform distribution of shear stress
- Scarf has minimal peel stress





Transport Aircraft Structure

Scarf Joint - Static

- EA9696 and EA9380.05 show more softening •
- FM300-2 strongest •
- Static strength does not correlate well with G_{IC} ٠







Scarf Joint - Fatigue

- EA9696 has highest fatigue life
- EA9394 has shortest fatigue life
- Fatigue life tends to correlate with G_{IC}











Wide Area Lap Shear - Static



Higher toughness than scarf Better correlation with G_{IC} than scarf

EA9394

EA9696

FM300-2

EA9380.05









Wide Area Lap Shear – Bond Thickness



Wide Area Lap Shear: Bond Thickness



- Increase in thickness increases ductility of the joint.
- Bond thickness had negligible effect on fatigue life
- In fatigue, adhesive toughness is more important than peel stress.







Wide Area Lap Shear: Temperature

- Static strength reduces as temperature increases
- Toughness is not significantly affected by temperature











Wide Area Lap Shear: Temperature

- Fatigue life decreases as temperature increases
- Fatigue response strongly affected by static strength











Observations from experiment

- 1. G_{IC} tends to be a good indicator of fatigue performance
- 2. Joint toughness increases with peel stress and bond thickness, but not with increasing temperature
- 3. Fatigue response depends more on adhesive toughness than bond thickness or temperature.







Model inputs



Linear Elastic	Adhesive	Adherend	
E (Psi)	277000	10600000	
υ _e	0.43	0.33	

- Elastic-plastic:
- Not sensitive to hydrostatic stress
- von Mises
- Input:
- Linear elastic properties
- Tensile hardening curve





- Drucker Prager:
- Sensitive to hydrostatic stress
- Exponent > linear (better describes non associated flow of adhesive)
- > Input:
- Linear elastic properties
- Tensile hardening curve
- Drucker Prager parameters
- Can use shear input (not usually done)
- Did not improve correlation with current results





Exponent Drucker Prager	Adhesive	
a ()	0.0008	
b	2	
Ψ	3.5	



Bulk adhesive in tension (input)





- Good agreement
- von Mises and Drucker Prager predicted same result

- Good agreement only for linear elastic portion
- Von Mises and Drucker Prager predicted similar results











- Good agreement
- Drucker Prager exceeded von Mises by 4%



- Good agreement
- No non-linear response





- Good agreement
- Von Mises and Drucker Prager predicted similar results











Observations

- 1. Joints with low peel stress had low toughness and were readily modeled using elastic response
- 2. Joints with high peel stress could not be modeled from constituent properties
 - Required tailored hardening curve (extended) for each configuration
- 3. Drucker Prager model agreed slightly better than von Mises elastic plastic model







Progressive damage modeling

Aim: Identify failure criterion for adhesive joints under cohesive damage and validate with experimental results.

Material degradation and failure (no pre-crack needs to be defined)	Adhesive type	Mechanism
 Cohesive zone model: CZM Uses traction separation law Based on interface Finite Element 	High ductility	LEFM & EPFM
 Continuum damage Model :CDM Material degradation occurs inside of solid element when damage propagation onset & path are not known a priori 	Brittle or moderately ductile	LEFM & EPFM

Advantages of CDM over CZM

- Predict mode-mixity even when one of modes predominates
- Capture the influence of asymmetrical propagation and crack path along adhesive thickness
- Size and shape of fracture process zone (FZP) and its evolution during crack growth is well managed







Progressive damage modeling

Development of a numerical fracture model incorporating CZM,CDM - ABAQUS

✓ Use DCB and ENF (Damage for pure mode I & II)



Future Work

- Fatigue damage of adhesives experiments and models
- Composite adherends
 - CDM and CZM can be used to simulate the failure of adherends and adhesive
 - ✓ Failure is combination of cohesive and delamination of substrate
 - Simulation of delamination development in fiber composites and failure of adhesive joints







Time Dependence

Aims:

- Identify the influence of toughening agents on adhesive time dependent response.
- Find nonlinear threshold.
- Determine if ratcheting behavior occurs under repeated loading.

Ratcheting: cyclic accumulation of inelastic deformation.

Approach:

- Creep tests at different durations and stress levels.
- Fit response to linear and nonlinear viscoelastic models.
- Compare load response with linear model to find nonlinear and ratcheting thresholds and determine how nonlinear model predicts strain.



Cyclic Loading

Linear Viscoelasticity

 $\epsilon(t) = \int -\infty \hat{\tau} D(t-\tau) \sigma(\tau) d\tau$

$D(t)=D\downarrow 0 + D\downarrow 1 t \uparrow n$









Linear Viscoelasticity

ΓΕΓΔ

- Adhesives behave nonlinearly
 - Initial compliance
 - Compliance over time





Advanced Materials in

Transport Aircraft Structures

• Strength decreases almost linearly with increasing temperature









• EA 9696 increased nonlinearity and creep with increasing temperature.









• FM300-2 increased nonlinearity and creep with increasing temperature.









Strain input



$$\begin{split} \varepsilon(t) &= 9 \, f \, \sigma \, J \, \max \, / 5 \, \{ D \, \downarrow 0 \, t + D \, \downarrow 1 \, t \, \hat{n} + 1 \, / n + 1 \\ &+ \sum_{i=1}^{\infty} 1 \, \widehat{m} \, \overline{m} \, 2 \, (-1) \, \hat{i} + 1 \, [D \, \downarrow 0 \, (t - t \, \downarrow i \,) + D \, \downarrow 1 \, (t - t \, \downarrow i \,) \, \hat{n} \\ &+ 1 \, / n + 1 \,] H(i - 1) \, \} \end{split}$$

Experiment

Linear Model

N





Toughened Adhesive









Nonlinear Viscoelasticity

Nonlinear viscoelastic strain to an arbitrary stress input

$$\begin{split} \varepsilon(t) &= \int 0 \uparrow t \, \mathbb{I} f \downarrow 1 \, (t - \xi \downarrow 1 \,) \sigma(\xi \downarrow 1 \,) d\xi \downarrow 1 \, + \int 0 \uparrow t \, \mathbb{I} \int 0 \uparrow t \, \mathbb{I} f \\ F \downarrow 2 \, (t - \xi \downarrow 1 \,) \sigma(\xi \downarrow 1 \,) \sigma(\xi \downarrow 2 \,) d\xi \downarrow 1 \, d\xi \downarrow 2 \\ + \int 0 \uparrow t \, \mathbb{I} \int 0 \uparrow t \, \mathbb{I} f \, 0 \uparrow t \, \mathbb{I} F \downarrow 3 \, (t - \xi \downarrow 1 \,) \sigma(\xi \downarrow 1 \,) \sigma(\xi \downarrow 2 \,) \sigma(\xi \downarrow 2 \,) \sigma(\xi \downarrow 3 \,) d\xi \downarrow 1 \, d\xi \downarrow 2 \, d\xi \downarrow 3 \end{split}$$

For uniaxial creep, this becomes

$$\varepsilon(t) = F \downarrow 1 \ \sigma + F \downarrow 2 \ \sigma \uparrow 2 + F \downarrow 3 \ \sigma \uparrow 3$$

 $D \downarrow 0 \downarrow A + D \downarrow 1 \downarrow A t \uparrow n \downarrow A = F \downarrow 1 + F \downarrow 2 \sigma \downarrow A + F \downarrow 3 \sigma \downarrow A \uparrow 2$ $D \downarrow 0 \downarrow B + D \downarrow 1 \textcircled{F} \uparrow n \downarrow B \checkmark f n \downarrow B \checkmark F \downarrow 2 \sigma \downarrow B \checkmark f 3 \sigma \downarrow B \uparrow 2_{27}$

Nonlinear Creep

Good agreement under creep



Standard Adhesive

Toughened Adhesive



Initial Creep Strain



Total Creep Strain









Nonlinear Ratcheting

For a cycled stress input in ratcheting, nonlinear strain is given by,

 $\varepsilon(t) = 9 \int \sigma \lim_{t \to \infty} \frac{1}{2} \int \sigma \int A - \sigma \int B \int \sigma \int A - \sigma \int A - \sigma \int A - \sigma \int B - \sigma \int A - \sigma \int B - \sigma \int$ $\sigma \downarrow C + \sigma \downarrow C \uparrow 2$) [L $\downarrow 1$ (A)($\sigma \downarrow B \sigma \downarrow C \uparrow 2 - \sigma \downarrow B \uparrow 2 \sigma \downarrow C$)+L $\downarrow 1$ (B) $(\sigma \downarrow C \sigma \downarrow A \uparrow 2 - \sigma \downarrow C \uparrow 2 \sigma \downarrow A) + L \downarrow 1 (C) (\sigma \downarrow A \sigma \downarrow B \uparrow 2 - \sigma \downarrow A \uparrow 2$ $\sigma \downarrow B$)]+81f12 $\sigma \downarrow \max 12/25(\sigma \downarrow A - \sigma \downarrow B)(\sigma \downarrow A \sigma \downarrow B - \sigma \downarrow A)$ $\sigma \downarrow C - \sigma \downarrow B \sigma \downarrow C + \sigma \downarrow C \uparrow 2$) $[L \downarrow 2 (A)(\sigma \downarrow C \uparrow 2 - \sigma \downarrow B \uparrow 2) + L \downarrow 2$ $(B)(\sigma \downarrow A \uparrow 2 - \sigma \downarrow C \uparrow 2) + L \downarrow 2 (C)(\sigma \downarrow B \uparrow 2 - \sigma \downarrow A \uparrow 2) + 729 f \uparrow 3$ $\sigma l \max 13 / 125 (\sigma l A - \sigma l B) (\sigma l A \sigma l B - \sigma l A \sigma l C - \sigma l B \sigma l C)$ $+\sigma \downarrow C \uparrow 2$) [L $\downarrow 3$ (A)($\sigma \downarrow C - \sigma \downarrow B$)+L $\downarrow 3$ (B)($\sigma \downarrow A - \sigma \downarrow C$)+L $\downarrow 3$ $(C)(\sigma \downarrow B - \sigma \downarrow A)]$

 $L \downarrow 1 = D \downarrow 0 \ t + D \downarrow 1 \ t \uparrow n + 1 \ /n + 1 + \sum_{i=2} fm @2(-1) \uparrow i + 1 [$ $D \downarrow 0 \ (t - t \downarrow i) + D \downarrow 1 \ (t - t \downarrow i) \uparrow n + 1 \ /n + 1]$

 $L \downarrow 2 = D \downarrow 0 \ t \uparrow 2 \ (-1) \uparrow i + 1$ $D \downarrow 0 \ t (t - t \downarrow i) + D \downarrow 1 \ t (t - t \downarrow i) \uparrow n + 1 \ (n + 1 + D \downarrow 1 \ (t - t \downarrow i))$

Nonlinear Ratcheting

Nonlinear viscoelastic model over predicts strain at high stress



Standard Adhesive



Toughened Adhesive







Permanent Strain

- Max strain: strain after 9000s of recovery .
- Both adhesives showed lower permanent strain from ratcheting •









Creep

Ratchet

Time Dependence

Observations

- Both adhesives show a nonlinear creep and ratcheting response.
- Creep experiments can be used to predict ratcheting response.
- Nonlinearity appears to begin after 50% which corresponds to permanent formation
- Permanent strain is small (3% of the total strain)
- A nonlinear model improves correlations, but becomes unstable after 400 cycles

Next Steps

- Test 10,000 second creep and 10,000 cycle ratcheting
- Develop strategies to improve nonlinear model
- Consider effect of low temperature creep







Looking forward

- Benefit to Aviation
 - Improved (accelerated) certification procedures for bonded structure
 - Guidance for adhesive joint design under fatigue loading
- Future needs
 - Improved understanding of adhesive non-linear adhesive response
 - Viscoelastic, plastic/damage, environment.















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