

Analysis of Fastener Disbond Arrest Mechanism for Laminated Composite Structures

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- Industry Sponsors: Boeing Ø



Work Accomplished: Phase 1

("Development of Reliability-Based Damage Tolerant Structural Design Methodology")

- Developed the methodology to determine the reliability and maintenance planning of damage tolerant structures.
- Developed a user-friendly software (RELACS) for calculating POF and inspection intervals.
- Developed software interface (VSTM) with Nastran to facilitate stochastic FEA.
- Implemented stochastic FEA to obtain initial/damaged residual strength variance.

Current Research

- Develop analytical methods to analyze disbond and delamination arrest mechanisms in bonded structures under mixed mode loading.
- To apply probabilistic methods to assess reliability of bonded structures with fasteners.



Objectives

- To understand the effectiveness of delamination/disbond arrest mechanisms
- To develop analysis tools for design and optimization

Tasks

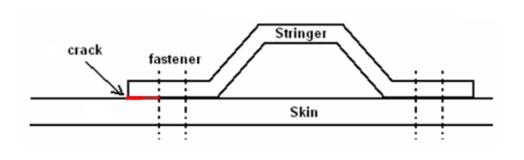
- 1) Establish FE models in ABAQUS
- 2) Develop 1-D (beam) and 2D (plate) analytical capabilities
- 3) Conduct validation experiments
- 3) Implement reliability analysis capability
- 4) Conduct sensitivity studies on fastener effectiveness and stacking sequence effects

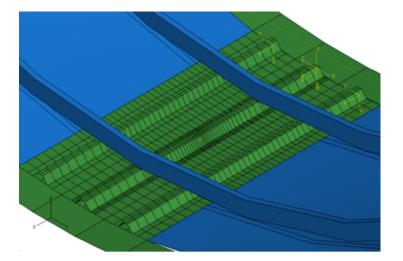
JMS Bonded Skin/Stiffener with Fasteners

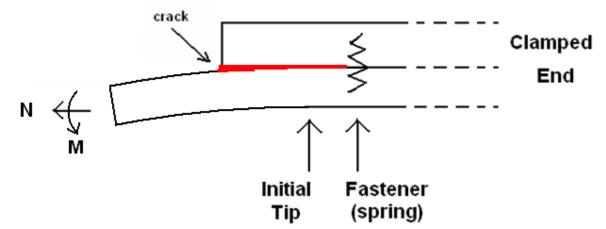










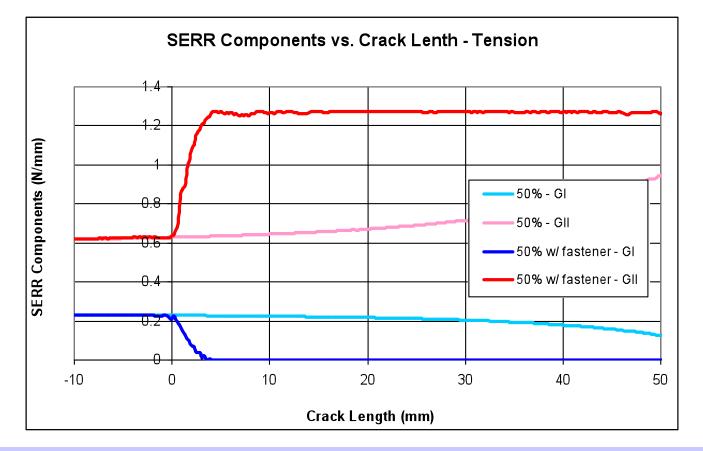




Mode Decomposition: Applied Tension Only



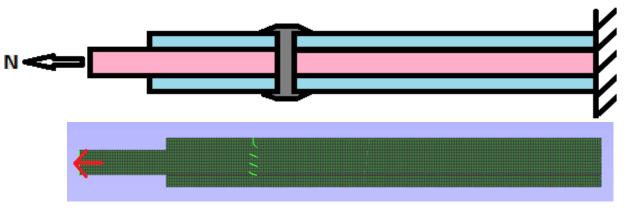




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- Classical "bending type" specimen not suitable, e.g. SLB, ENF
 - Relatively thick compared to specimen length; specimen dimension coupling
 - Limited space for crack to propagate
- We want "axial type" specimen to test crack arrest behavior
 - Symmetric, 3-beam model, load applied to the center beam

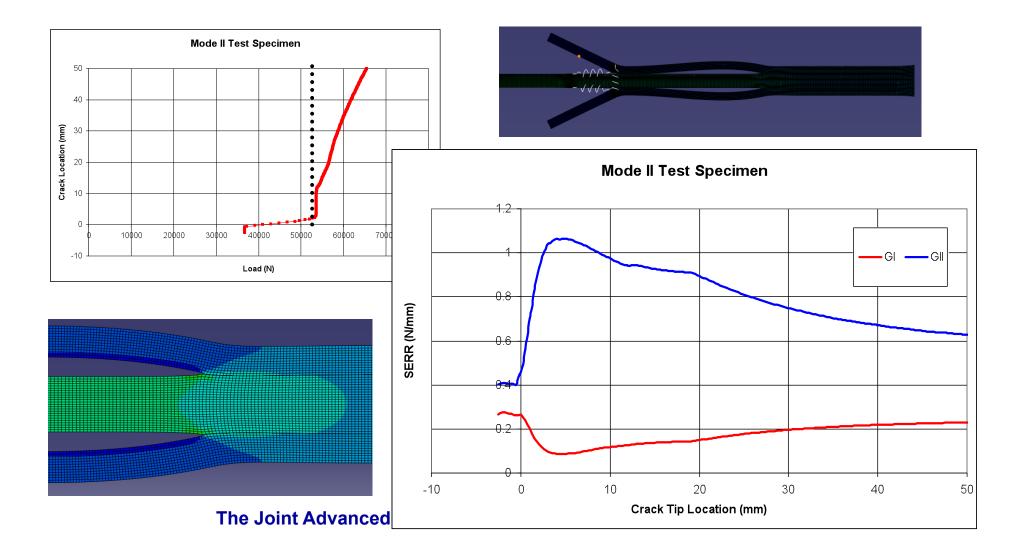




Mode II Test Specimen Preliminary Findings

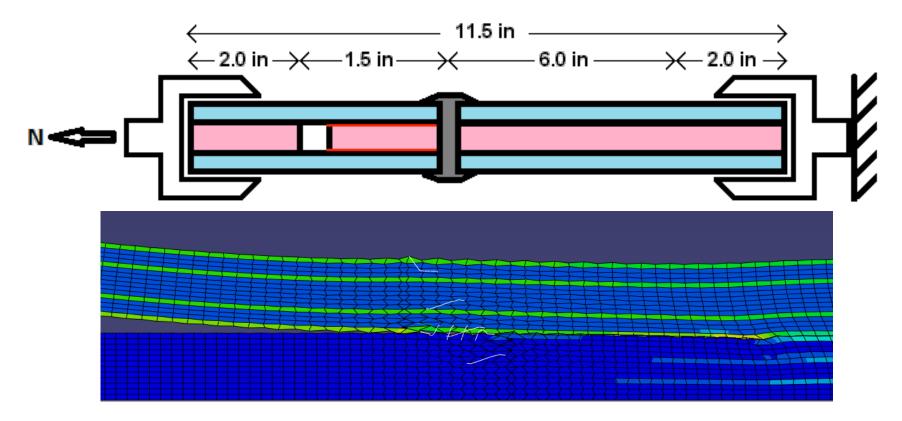




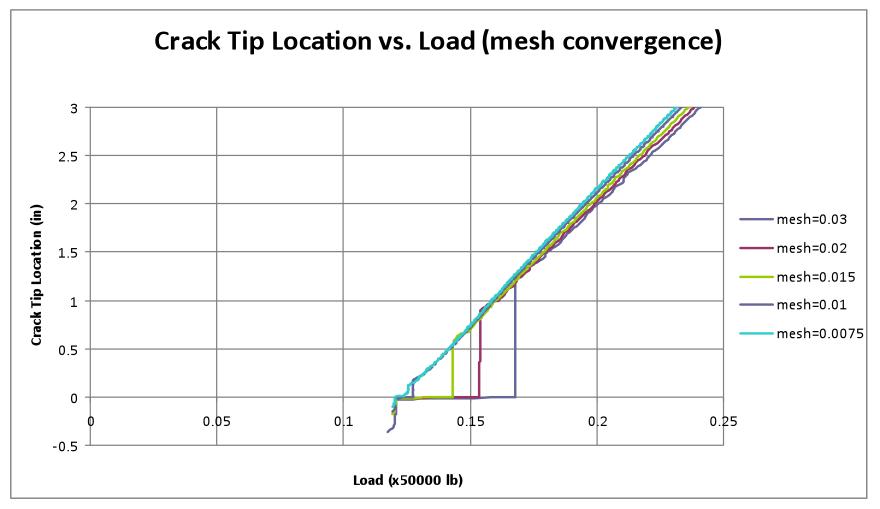




- Reversed Loading elements, i.e. apply tension to the outer two beams
- Closing moment exists at the crack tip





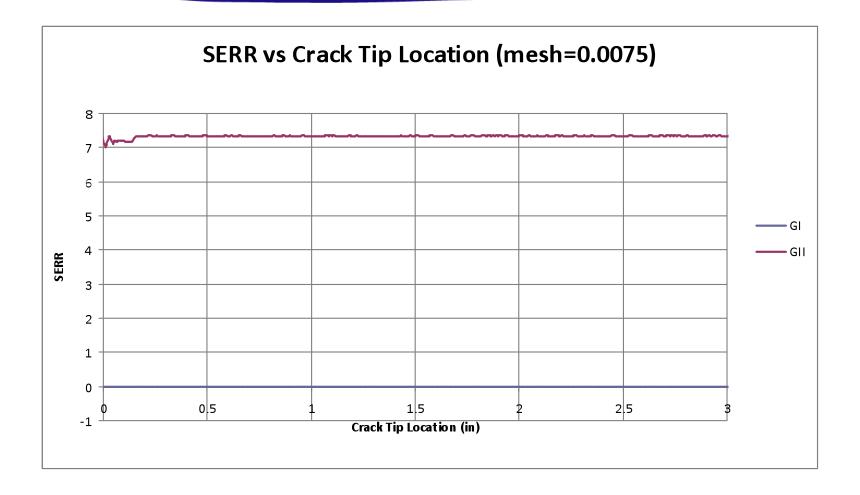


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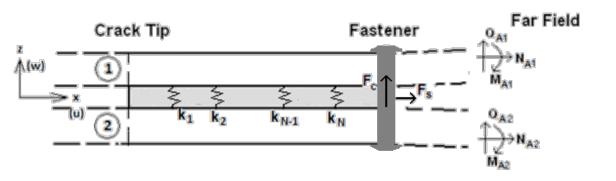
Sample Test Matrix

Layup (Top and bottom)	Layup (Center)	Fastener Diameter (in)	Width (in)	Number of Specimens
[(0/45/-45/90) ₂] _S	[(0/45/-45/90) ₃] _S	0.125	0.625	5
[(0/45/-45/90) ₂] _S	[(0/45/-45/90) ₃] _S	0.25	1.250	5
[(0/45/-45/90) ₂] _S	[(0/45/-45/90) ₃] _S	0.375	1.875	5
[(0/45/-45/90) ₃] _S	[(0/45/-45/90) ₃] _S	0.25	1.250	5
[(0/45/-45/90) ₃] _S	[(0/45/-45/90) ₃] _S	0.375	1.875	5

- Specimens to be manufactured by Boeing
- Testing to be conducted at University of Washington



- Uses Rayleigh-Ritz method and the energy principle.
- Two beams, fastener (two springs), and an elastic foundation layer between beams.
- Elastic layer is composed of *N* individual springs where *k* is very large in compression and zero in tension, for contact and separation.
- Solve system for the state of minimum potential energy iteratively.
- SERR mode decomposition by VCCT.



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$$\delta \Pi = 0$$
; where $\Pi = U_{total} - W_{total}$

Beam Energy Terms

$$U_b = \frac{1}{2} EI \int_0^L \left(\frac{d^2w}{dx^2}\right)^2 dx$$
$$U_s = 1.2 \frac{EI^2}{A} (1+\nu) \int_0^L \left(\frac{d^3w}{dx^3}\right)^2 dx$$
$$U_{ba} = \frac{1}{2} N \int_0^L \left(\frac{dw}{dx}\right)^2 dx$$

Elastic Layer Energy

$$U_{EL} = \sum_{n=1}^{N} \frac{1}{2} k_n (w_2 - w_1)^2 |_{x = L \binom{n}{N}}$$

Fastener/Spring Energy

$$U_{kc} = \frac{1}{2} k_c (w_2 - w_1)^2 |_{x=L}$$
$$U_{ks} = \frac{1}{2} k_s (u_2 - u_1)^2 |_{x=L}$$

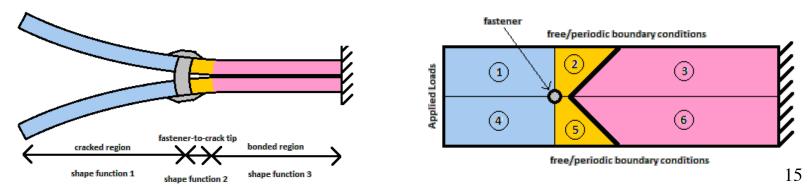
Work Terms

$$W_Q = Qw|_{x=L}$$

$$W_M = M\left(\frac{dw}{dx}\right)|_{x=L}$$



- Discontinuities require piecewise treatment of the model
- The set of shape functions have to adapt to new geometry after crack growth
- Shape functions must satisfy geometric boundary conditions
- Why is it important?



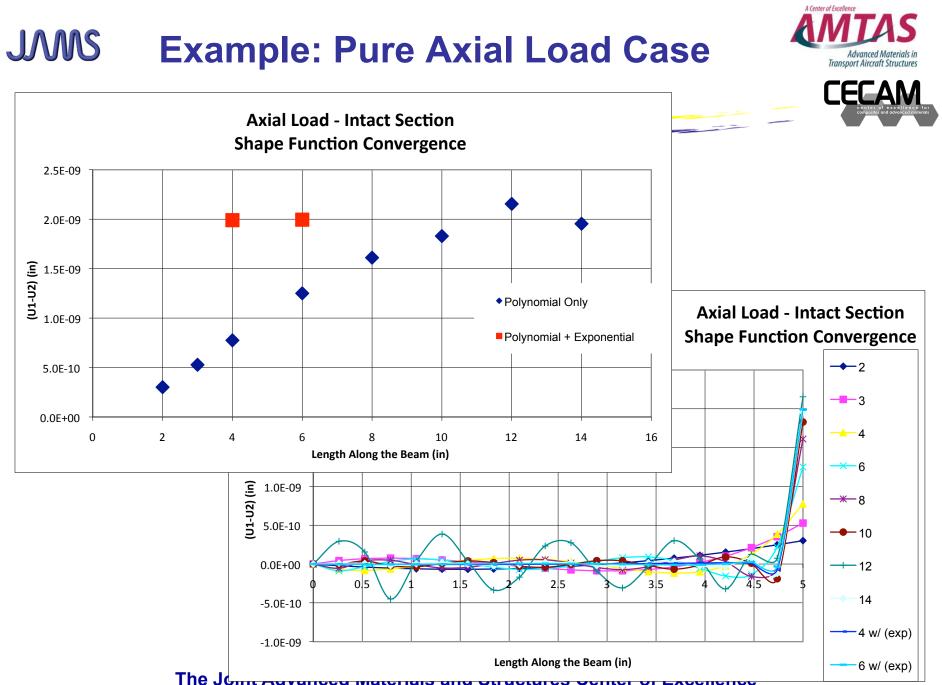


- Conventional vs. Composite shape functions
- The crack tip force can be used in VCCT
- Plots (u1-u2) which gives the shear transfer between two beams

$$u_{1,2} = \sum \left(a_i x^i \right)$$

$$u_{1,2} = \sum \left(a_i x^i + b_j e^{\frac{t}{j^2} (x-L)} \right)$$

$$\longrightarrow N$$



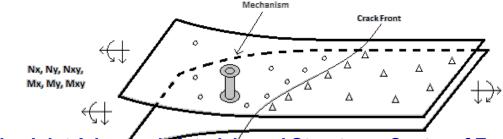
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JMS Work in Progress / Future Work





- Develop analytical solutions
- Consider all alternate failure modes
- Model crack propagation around the fastener in 3-D
- Consider multiple fasteners
- Design validation experiments
- Generate design curves
- Identify key variables for design and optimization
- Perform parametric/sensitivity analyses





Benefit to Aviation

- Provide analysis tools for fastener arrest mechanism
- Provide a fail-safe path to the design of integrated composite structures
- Optimization can lead to weight savings while properly addressing safety issue
- Integrating with probabilistic analysis method can properly address design uncertainties

JMS[back up]Laminate Configuration (16 plies)



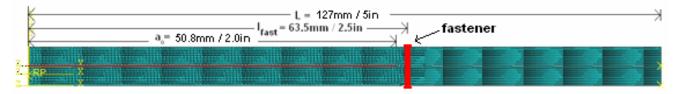


0-ply	Lay-up	E _x	C (in/lb) (joint compliance)
25.0%	(45/0/-45/90/45/0/-45/90) _s	7.42×10 ⁶	7.73×10 ⁻⁶
37.5%	(45/0/-45/0/45/0/-45/90) _s	9.29×10 ⁶	6.57×10 ⁻⁶
50.0%	(45/0 ₂ /-45/0 ₂ /90 ₂) _s	1.10×10 ⁷	5.85×10 ⁻⁶
62.5%	(45/0 ₃ /-45/0 ₂ /90) _s	1.30×10 ⁷	5.25×10 ⁻⁶

$$C = \left(\frac{t_1 + t_2}{2d}\right)^a \frac{b}{n} \left(\frac{1}{t_1 E_1} + \frac{1}{n t_2 E_2} + \frac{1}{n t_1 E_3} + \frac{1}{2n t_2 E_3}\right) \qquad \qquad k_{clamp} = \frac{AE}{(t_1 + t_2)} = 3.37 \times 10^6$$

$$a = 2/3, \ b = 4.2, \ n = 1$$

$$G_{equivC} = G_{IC} + \left(G_{IIC} - G_{IC}\right) \left(\frac{G_{II}}{G_I + G_{II}}\right)^{\eta}$$





- 16-ply CFRP (t = 0.0075" x 16 = 0.12")
- Lay-ups
 - Percentage of 0-deg: 25% / 37.5% / 50% / 62.5%
- Fastener
 - Ti-Al6-V4 (E = 16.5x10⁶psi)
 - d = 0.25 in
- Fastener Flexibility (H. Huth, 1986)

$$C = \left(\frac{t_1 + t_2}{2d}\right)^a \frac{b}{n} \left(\frac{1}{t_1 E_1} + \frac{1}{n t_2 E_2} + \frac{1}{n t_1 E_3} + \frac{1}{2n t_2 E_3}\right)$$

JMS[back up]Material Properties (AS4/3501-6)





- E₁=127.5GPa
- E₂=11.3GPa
- G₁₂=6.0GPa
- v=0.3
- X_t=2282MPa
- X_c=1440MPa
- Y_t=57MPa
- Y_c=228MPa
- S_{xy}=71MPa
- G_{IC}=0.2627N/mm
- G_{IIC}=1.226N/mm
- η=1.75

- E₁=18.5Msi
- E₂=1.64Msi
- G₁₂=0.871Msi
- v=0.3
- X_t=331ksi
- X_c=208.9ksi
- Y_t=8.3ksi
- Y_c=33.1ksi
- S_{xy}=10.3ksi
- G_{IC} =1.5lb/in
- G_{IIC}=7.0lb/in
- η=1.75